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Multi-Link MIMO Channel Modeling Using Geometry-Based Approach

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Abstract—This paper presents an approach to extend geometry-based stochastic channel models (GSCMs) to support multi-link simulations by applying the concept of common clusters. The idea of the proposed approach is to control the correlation between different links, inter-link correlation, by adjusting the amount of power simultaneously propagating via the same clusters in the different links. A multi-link GSCM is proposed, and the effects that the common clusters have on inter-link correlation and on sum rate capacity are investigated based on simulations. In addition, the behavior of common clusters is analyzed based on dual-link channel measurements. Finally, comparison between simulations and measurements is done in order to indicate the validity of the proposed multi-link GSCM.

Index Terms—Radio channel modeling, geometry-based channel modeling, multi-link channel modeling, multi user MIMO.

I. INTRODUCTION

Geometry-based stochastic channel models (GSCMs) have attained much attention in MIMO channel modeling during the past decade. This is due to their inherent capability of modeling spatial and temporal correlation properties in a straightforward manner. The basic idea behind the GSCMs is to emulate the double-directional radio channel by placing clusters in the simulation environment to act as physical scattering objects. The clusters consist of groups of closely located multipath propagation components (MPCs), and the directions, delays, and complex amplitudes of each MPC are directly computed based on the geometry of the simulation environment. Examples of GSCMs, which all rely on the cluster approach, are the COST 259 [1], COST 273 [2], and WINNER [3] channel models.

A. Motivation

Even though the state-of-the-art GSCMs are extremely sophisticated, the capability of the current implementations to simulate multi-link scenarios has up to now remained an open question. In principle, the cluster-based structure of the GSCMs supports multi-link simulations just by dropping multiple mobile stations (MSs) and/or base stations (BSs) into the environment. However, the major open question has so far been how to control the correlation between different links, the inter-link correlation. Since clusters are generated randomly and independently for each link, there is no guarantee that the different links result in having proper correlation with respect to each other. Based on previously reported works, however, it has been realized that different links may encounter remarkable inter-link correlation when the units are in close proximity to each other [4] and even if they would be largely separated in distance [5] – [8]. Two links may also have very different inter-link correlation even if they are in the same environment (e.g. in the same room) [9].

Those experimental findings indicate a true need for multi-link MIMO channel models being able to reflect those properties. Furthermore, since the trend in novel radio communication systems is going more and more towards applications that utilize links between multiple nodes in the network in their operation, the need for realistic multi-link channel model increases accordingly. Examples of such systems where it would be very beneficial to have realistic multi-link channel models include cooperative communication systems, and indoor localization applications. Underestimating or neglecting the inter-link correlation would usually lead to too optimistic performance results in system simulations [4].

To the authors’ best knowledge, previous works on multi-link MIMO channel modeling are restricted to the analytical dual-link model proposed in [10]; no contributions on multi-link GSCMs are available in the open literature.

B. Contributions

In this paper we propose an approach for extending a general GSCM to fully support multi-link simulations by applying the concept of common clusters (CCs). In short, the idea behind the proposed method is to control the correlation between different links by allowing a certain proportion of the energy in different links to propagate through the same clusters. The concept of CCs was first introduced in [6], where it was also shown based on measurements that significant amounts of energy can indeed propagate through the same scatterers in different MIMO links in certain types of environments.
At first, a simple multi-link GSCM is implemented based on the concept of CCs. The developed model is used to study the effect of the CCs on channel characteristics and system performance from two perspectives: first, it is shown that CCs are a suitable way of adjusting the correlation between different links, and, second, the effect of the CCs on channel capacity is investigated. In the later part of the paper, CCs are analyzed based on measured dual-link MIMO data. It is also shown that the developed multi-link GSCM is able to accurately predict the channel behavior in comparison with the measurement data. Even though the GSCM developed in this paper is rather simple, the modeling concepts are fully applicable to more sophisticated GSCM implementations (such as [1] – [3]), as well as it should be straightforward to extend those models to handle the multi-link scenario.

C. Organization

The remainder of the paper is organized as follows. In Section II, the modeling philosophy of the multi-link GSCMs is discussed, followed by a detailed description of the model developed in this work. Section III is dedicated for the simulation analyses of the effect of the CCs on inter-link correlation and dual-link capacity. In Section IV, CCs are extracted from dual-link channel measurement data. In addition, the developed GSCM is compared with the measurement data in terms of the dual-link channel capacity in Section IV. Finally, Section V concludes the work.

II. MULTI-LINK GEOMETRY-BASED CHANNEL MODELING

When extending the current GSCMs to cover multi-link scenarios there are two main aspects to consider: 1) The single-link behavior should remain the same, while at the same time 2) the correlation between links, i.e. interlink correlation, should be represented in a realistic way.

In this section, a concept for extending the current GSCMs to support multi-link simulations is presented. First, the concept of common clusters, the proposed methodology in which the correlation between links in GSCMs can be controlled, is explained. Then, the implementation of the multi-link GSCM used in this paper is detailed.

A. Concept of common clusters (CCs)

A common cluster is a cluster that contributes to the channel between different links at the same time, as shown in Fig. 1. Since the amount of power carried by the CCs can be set to a desired value, it is possible to control the inter-link correlation between different links; the larger is the amount of power that is propagating via the CCs, the stronger is the correlation between the different links. The intra-link correlation, i.e. the correlation between antenna elements in a MIMO link, is as before controlled by the cluster distributions and remains unchanged. The approach is based on [6], where the concept of the CC was first introduced. There measurement results also showed that CCs can carry significant parts of the energy in realistic multi-link environments.

B. Multi-link GSCM development

In the proposed multi-link GSCM, clusters are generated so that each link is assigned with a set of uncommon clusters (UCCs) and a certain number of CCs. The UCCs are generated separately for each link and they contribute only to the impulse response of the designated link, whereas CCs are shared by the different links and contribute to both transfer functions (or impulse responses), see Fig. 1. In order to control the correlation between different links, the amount of power that propagates through the CC is set to a desired value by the following procedure. First, the propagation path parameters, including the directions of departure (DoD) and arrival (DoA), delay, and complex amplitude, are calculated for each MPC according to the geometrical locations of the antennas and clusters. Then, the power carried by the UCCs is scaled with a factor of $L$ so that the condition

$$S_{\text{common}} = \frac{P_{\text{CC}}}{L \cdot P_{\text{UCC}} + P_{\text{CC}}}$$  \hspace{1cm} (4)

is satisfied. In (4), $S_{\text{common}}$ is a measure called the significance of common cluster, which defines the ratio between powers carried by the CCs and UCCs; $P_{\text{CC}}$ and $P_{\text{UCC}}$ are the sum of powers carried by all the CCs and UCCs, respectively.

Once the propagation path parameters with the desired $S_{\text{common}}$ have been obtained, the MIMO channel matrices are calculated for each link in the same way as for a conventional GSCM as

$$H = \sum_{p=1}^{P} a_p a_p^{\dagger \text{TX}} (a_p^{\dagger \text{RX}})^{\dagger} e^{j(2\pi f \tau_p + \xi (p))} \in \mathbb{C}^{N_t \times N_t}$$  \hspace{1cm} (5)

where $P$ is the number of MPCs, $a_p$ is the amplitude of the $p$-th MPC, $f$ is the used radio frequency, $	au_p$ is the propagation delay of the $p$-th MPC, and $(\cdot)^{\dagger}$ denotes the matrix transpose operation. Furthermore, $a_p^{\text{TX}}$ and $a_p^{\text{RX}}$ are the array response vectors calculated at the transmitter (TX) or receiver (RX) as

$$a_p^{\text{TX,RX}} = \left[ \exp (j k (r_s u_p)) \cdots \exp (j k (r_n u_p)) \right]$$  \hspace{1cm} (6)

where $k = \frac{2\pi}{\lambda}$ is the wave number, $u_p$ is the unit directional vector consisting of the DoD and DoA of the $p$-th MPC, and $r_n$ is the position vector of the $n$-th antenna element in the array. The term $(r_N u_p)$ represents the inner product between vectors $r_N$ and $u_p$. Finally, a random phase $\xi (p)$ is added to each MPC in order to increase the number of independent realizations of the channel matrices [11].

Fig. 1. Example of a common cluster (CC) in a scenario with one MS and two BSs. The correlation between different links can be controlled by changing the amount of power that propagates through the CC.
III. INTER-LINK CORRELATION AND DUAL-LINK MIMO CHANNEL CAPACITY

In this section, the effect of the common clusters, or more precisely $S_{\text{common}}$, on system characteristics is studied in terms of 1) the inter-link correlation and 2) the sum rate dual-link MIMO capacity when using the multi-link GSCM described in Section II. After defining the inter-link correlation and sum rate dual-link MIMO capacity, we evaluate them in different environments. In the following, the analysis is restricted to a dual-link scenario with one TX and two RXs.

A. Definitions

1) Inter-link correlation

The inter-link correlation was evaluated by calculating the correlation matrix collinearity (CMC, or “collinearity”) as [12]

$$C_{\text{MC}} = \frac{\|\text{vec}(R_{\text{i}} R_{\text{r}}^H)\|_F}{\|R_{\text{i}}\|_F \|R_{\text{r}}\|_F}$$

(7)

where $R_{\text{i}}$ is the correlation matrix of the $i$-th link calculated as

$$R_{\text{i}} = \frac{\sum_{s=1}^{N_s} (H(s)^{\text{H}}) H(s)^{(i)}}{N_t \sum_{s=1}^{N_s} \|H(s)^{(i)}\|_F^2}$$

(8)

In equations (7) and (8), $(\cdot)^{\text{H}}$ is the complex transpose of a matrix; $N_s$ is the number of independent channel realizations; $N_t$ is the number of transmit antennas; and $\|\|_F$ denotes the Frobenius norm.

The CMC describes how similar the subspaces of the correlation matrices of the different links are, ranging between zero (matrices are orthogonal to each other) and one (matrices are similar).

2) Sum rate dual-link capacity

The capacity values were calculated in the following way. First, the received power for the $i$-th link $P_i$ was calculated as

$$P_i = \frac{1}{N_{r} \cdot N_{r}' \cdot N_{s}'} \sum_{s=1}^{N_s} \|H_i(s)\|_F^2$$

(9)

where $N_s'$ is the number of independent channel realizations; $N_{r}$ is the number of receive antennas; $N_{r}'$ is the number of transmit antennas; $H_i$ is the channel matrix of the $i$-th link; and $\|\|_F$ denotes the Frobenius norm. In order to calculate the capacity, the channel matrices were normalized as

$$\tilde{H}_i(s) = \frac{H_i(s)}{\sqrt{P_i}}$$

(10)

In the dual-link case, the received signal can be written as [13]

$$y = \sqrt{\rho} \tilde{H}_1 x_1 + \sqrt{\eta} \tilde{H}_2 x_2 + n,$$

(11)

where $\tilde{H}_1$ and $\tilde{H}_2$ are the normalized channel matrices of the desired and interfering link. The $\rho$ and $\eta$ are the signal-to-noise ratio (SNR) and interference-to-noise ratio (INR), respectively, $x_1$ and $x_2$ are the transmitted signal vectors, and $n$ is a noise vector. The capacity values were calculated for each channel realization as [13]

$$C(\tilde{H}_i) = \log_2 \left[ \det \left( I_{N_r} + \frac{\rho}{N_r} \tilde{H}_i^H (\tilde{H}_i^H)^H R_{\text{t}}^{-1} \right) \right].$$

(12)

For the single-link case, the covariance matrix $R_2$ was set to

$$R_2 = I_{N_r}$$

(13)

and for the dual-link case to

$$R_2 = \eta \tilde{H}_2^H (\tilde{H}_2^H)^H + I_{N_r}.$$  

(14)

In the following, we analyze the relative sum rate capacity (SRC, or “capacity”), which is denoted by the ratio between the sum rate dual-link capacity $C(\tilde{H}_1, \tilde{H}_2) + C(\tilde{H}_2, \tilde{H}_1)$ and the sum rate single-link capacity $C(\tilde{H}_1) + C(\tilde{H}_2):$

$$\text{SRC} = \frac{C(\tilde{H}_1, \tilde{H}_2) + C(\tilde{H}_2, \tilde{H}_1)}{C(\tilde{H}_1) + C(\tilde{H}_2)}$$

(15)

In the description below SRC and “capacity” as well as CMC and “collinearity” will be used interchangeably to improve readability.

B. Simulation studies

The effect of the CCs on inter-link correlation and sum rate dual-link capacity was investigated by computer simulations in three different scenarios. In the first scenario, the locations of the clusters were changed in a controlled manner in order to study the relationships between $S_{\text{common}}$, CMC and SRC and the influence of the environment through a simple example. In the simulations of these controlled channels the environment consisted of one UCC (per link) and one CC (shared by the different links). Next, the simulation studies were continued by placing the clusters in random locations. First, the random channels consisted of one UCC and one CC, and, after that, of five UCCs and one CC, all being randomly positioned.

In each of the three scenarios, one MS and two BSs were located at fixed positions. The clusters consisted of five MPCs placed randomly within a diameter of one meter around the center point of the cluster. Furthermore, a 4-element x-oriented uniform linear antenna array (ULA) was used at the MS and BSs in each case. The $\rho$ and $\eta$ were both fixed to 10 dB in all the simulations. In the following, the presented CMC and SRC values are the average values over 100 independent channel realizations. Table 1 summarizes the three different simulation scenarios.

As a general conclusion of the simulation studies, it can be said that $S_{\text{common}}$ has a significant effect on both the inter-link correlation and MIMO channel capacity; as $S_{\text{common}}$ increases, the CMC increases and SRC decreases. This indicates the ability of the multi-link GSCM based on CCs to manipulate the correlation between different links. It also shows that it is important not to neglect the effect of common clusters.

Next, the findings from the simulation studies are discussed in detail separately for the controlled and random scenarios.
In order to investigate the relationships between the collinearity and capacity, the simulations with different combinations of the cluster locations were performed. Fig. 2(a) shows the collinearity and capacity as a function of the significance of the common cluster for the different locations of the UCC1. It is observed that the capacity is very high at low values of the common cluster in most of the locations and decreases to approximately 10% of its original value as the common cluster reaches 100%. The collinearity behaves in the opposite way; i.e., whenever the capacity is low, the collinearity is low, and vice versa. However, at UCC1 locations 3 and 5, the capacity is low, and the collinearity is almost one, with all values of the common cluster. At UCC1 location 5, both UCCs are located exactly at the same position, meaning that the situation is equivalent to the case where all the clusters are common among the different links. At UCC1 location 3, there is a high correlation between the different links since the MS cannot distinguish the waves coming from locations 3 and 5 due to its antenna array orientation.

2) Random channels

As shown above, the locations of the clusters may have a significant impact on the correlation and capacity values observed at different values of the common cluster. In particular, it can be observed that with some combinations of the cluster locations, the collinearity is high and capacity is low even without the CC. In order to investigate the relationships between the common cluster, collinearity, capacity, and cluster locations in a statistical manner, the simulation studies were continued by placing the clusters in random locations.

The CDFs of the collinearity and capacity are shown for the first random scenario (one UCC, one CC) for the common cluster values of 0, 1, 10, 50, 90, 99, and 100% in Fig. 3(a) and (b). For each value of the common cluster, the CDF curve includes the values of the collinearity and capacity from 1000 random channels. With the common cluster values of 0, 1, and 10%, the matrix collinearity behaves quite similarly and is less than 0.2 in approximately 60% of the cases. Even if for the most of the time the collinearity is low and capacity high with low values of the common cluster, also highly correlated channels are observed: the collinearity is at least 0.8 in about 15% of the cases even without the CC. With the common cluster values of 90, 99, and 100%, the capacity gets high values for the most of time, as could be expected. It was also found that that capacity is more sensitive than the collinearity to the change of the common cluster in the range of 0 to 10%: for instance, at the CDF level of 0.5, the capacity decreased by approximately 25% for all the cases. This is an important observation in the sense that even if only a small amount of the power propagates through the common cluster, the impact on the system performance is significant compared to the case where the common cluster is not considered at all.

When the common cluster is 50%, both the collinearity and capacity are almost uniformly distributed between the minimum and maximum values. With the common cluster values of 90, 99, and 100%, we can see that the collinearity is very close to 1 the whole time. However, variations between the respective capacity curves are more clearly seen.
The CDFs of the collinearity and capacity are shown for the second random scenario (5 UCCs, 1 CC) for the $S_{\text{common}}$ values of 0, 1, 10, 50, 90, and 100% in Fig. 3(c) and (d). Again, the CDF curves include the values of the collinearity and capacity from 1000 random channels for each value of $S_{\text{common}}$.

In comparison with the first random scenario (1 UCC, 1 CC), the following observations can be made. First, with low values of $S_{\text{common}}$ (0, 1, and 10%), the collinearity is generally higher and therefore capacity lower; the same trends occur when $S_{\text{common}}$ is 50%. This can be explained so that as the number of clusters increases, it is harder for the antenna array at the MS to separate them, and hence, the correlation between links is likely to increase. Obviously, with larger antenna arrays, this effect would be less significant due to better capability of spatial filtering. With high values of $S_{\text{common}}$ (90, 99, and 100%), the curves are very similar to the first random scenario, as could be expected, since anyway almost all the power propagates through the common cluster.

IV. COMMON CLUSTERS IN MEASURED CHANNELS

Having confirmed the impact of the common clusters on the inter-link correlation and sum rate capacity, it is important to investigate how frequently the common clusters occur in real multi-link propagation scenarios. To this end, we investigate clusters based on dual-link channel measurements done in an office corridor environment. First, the methodology to extract clusters from measurement data is presented after which experimental results on $S_{\text{common}}$ will be provided. Finally, a comparison between the measurement data and computer simulations presented in the previous section are made in terms of the sum rate capacity.

A. Extraction of common clusters from measurement data

1) Data analysis

Physical scattering objects can be identified from the measurement data by combining the measured radio propagation path parameter estimates with the geometry information of a measurement environment. In this work, the parameter estimates have been obtained by the Extended Kalman Filter (EKF) [14]. Each MPC of the EKF parameter estimates includes the DoD, DoA, delay, and polarimetric path weights. Furthermore, each propagation path obtained by the EKF has a lifetime over a certain number of consecutive measurement samples, i.e. snapshots.

In order to identify the physical scatterers for each MPC, the EKF estimates of the DoD, DoA and delay are used as inputs for a measurement-based ray tracer [15]. This ray tracer implements an algorithm that plots rays on top of a floor plan of the environment according to the measured parameter estimates. It enables the MPCs to be explicitly mapped to physical scatterers in the environment. The identification of the scattering objects can be performed simultaneously for multiple links, making it possible to study if the same physical scatterer is common for the different links, and thus forms CC.

2) Definition of a common cluster

In situations where the scatterer has a relatively large physical size, it is not always meaningful to consider the whole scatterer as common for different links. In such cases, even if the scattering source is the same physical object (e.g. a wall), the scattering points for different links might be separated by a large distance, and thereby an MS or BS equipped with antenna arrays may be able to resolve the scattering points in the angular domain. On the other hand, scattering points for the different links can be resolvable even...
if the distance between them is small in a case where the scattering object is very close to the antenna. Therefore, it is necessary to establish conditions defining CCs based on 1) the distance between the scatterers of different links \(d\), and 2) the angular separation of the scatterers seen from the MS \(\varphi\), as shown in Fig. 4.

It should be noted that multiple MPCs might be originating from the same physical scatterer at the same time instant thus forming a cluster. In such cases, the distance between the scatterers of the different links is calculated based on the cluster center; the coordinates of the cluster center are calculated as the power-weighted mean over the coordinates of the scattering points of the individual MPCs belonging to the same cluster. In Fig. 4, the small black dots correspond to the scattering points of individual MPCs and the blue and red dots are the cluster centers in different links. In this work, threshold values for the \(d\) and \(\varphi\) are selected to be 5 meters and 45 degrees, respectively.

As stated already in Section III, the significance of common cluster \(S_{\text{common}}\) quantifies the amount of power that propagates through the CC. The \(S_{\text{common}}\) is determined from the measurement data in the following way. In a dual-link case, the significance of the \(n\)-th CC is denoted as a function of a measurement time instant \(k\) by

\[
S_{\text{common}}^n(k) = \sqrt{s_{\text{common}}^{(1),n}(k) \cdot s_{\text{common}}^{(2),n}(k)},
\]

where \(s_{\text{common}}^{(i),n}(k)\) is the significance of the \(i\)-th common scatterer with respect to the total power of the \(i\)-th link as

\[
s_{\text{common}}^{(i),n}(k) = \frac{P_{\text{common}}^{(i),n}(k)}{P_{\text{tot}}^{(i)}(k)},
\]

where \(i = 1, 2\). If the total number of scatterers that are common for the different links is denoted by \(N(k)\), the total \(S_{\text{common}}\) can be expressed by the sum of the significances of the individual CCs by

\[
S_{\text{common}}(k) = \sum_{n=1}^{N(k)} S_{\text{common}}^n(k).
\]

B. Significance of common clusters in an office corridor scenario

1) Measurement setup

The analyzed measurement was carried out in the corridor of the Department of Radio Science and Engineering in Aalto University by using a dual-link channel sounding system consisting of two channel sounders from Aalto University School of Science and Technology (Aalto) and Lund University (LU) operating at the frequency of 5.3 GHz [16]. The system is capable of simultaneously measuring two links having the MIMO matrix sizes of 30 \(\times\) 30 and 30 \(\times\) 32. A sample of a full MIMO matrix, i.e. snapshot, is measured every 39.32 ms, enabling measurements in dynamic environments. The measurement involved dual-polarization, but in the present analysis the polarizations have not been treated separately but summed up. In the measurement, the TX
The angular separation of the scattering points on wall A and B are plotted in Fig. 6(a). In the case of wall A, the angular separation is around 10 degrees in the beginning of the route, but after snapshot 200 it starts to increase; in this location the MS passes the corner of wall C and the scattering points in the MS – BS2 link start to move further south. The threshold value is exceeded approximately at snapshot 220. In the case of wall B, the angular separation of the scattering points varies more rapidly than in the case of wall A. Furthermore, wall B is an active common scatterer only in parts of the route. The distance between the scattering points on both walls A and B (Fig. 6(b)) follow the same trends as the angular separation. Also in this case, the threshold value is exceeded in the end of the measurement route.

Fig. 7(a) shows $S_{\text{common}}$ separately for scatterers A (blue curve) and B (red curve) and the total $S_{\text{common}}$ (black curve). It is seen that the waveguiding along the corridor (A) is a significant propagation mechanism in both links, hence constituting a significant CC. Also wall B forms a CC in parts of the route. The total $S_{\text{common}}$ varies between 40% and 95%, but goes rapidly to zero around snapshot 220 due to the fact that the threshold values for the conditions of CC are exceeded.

Fig. 7(b) shows the collinearity and capacity along the measurement route. The collinearity and capacity were calculated by applying the measured propagation path parameters obtained by the EKF to Equations (5) – (15) and by using the same 4-element linear array as in the simulations of Section III. Again, the collinearity and capacity were calculated as the mean over 100 independent realizations of the measured channels at each snapshot. Fig. 7(b) shows that the collinearity gets very high values in the beginning of the route but falls down to approximately 0.3 in the end of the route. The capacity behaves the opposite way, as was the case also in the simulation studies in Section III.

By comparing Figs. 7(a) and (b), we can clearly see that also in the measured channels, the inter-link correlation and sum rate capacity are strongly related to the significance of common clusters.

C. Comparison between measurements and simulations

Finally, in order to investigate the validity of the multi-link GSCM approach proposed in this paper, the simulations were compared with the measurements in terms of capacity.

Two measurement locations were selected for the comparison. The first location was at snapshot 120, where the $S_{\text{common}}$ was as high as 85%, and the second at snapshot 270, where CCs did not exist anymore. In the simulation, two UCCs (per link) and two CCs were randomly located around the simulation environment, whereas the BSs and the MS were at fixed positions.

Fig. 8 shows the CDFs of the capacity over 100 channel realizations for the measurement (solid lines) and for three independent simulation runs (dashed and dotted lines). It is seen that the simulation can always predict the dual-link channel behavior very accurately in terms of the capacity when $S_{\text{common}}$ is 85%. When $S_{\text{common}}$ is 0%, the model predicts the behavior well for the most of the time; however, occasionally, due to random cluster locations, the correlation between links happens to be high in the simulation which results in underestimation of the capacity.
In this paper, an approach to extend geometry-based stochastic channel models (GSCMs) to support multi-link simulations has been presented. The proposed approach is based on the concept of common clusters (CCs): the correlation between different MIMO links, i.e., the inter-link correlation, is controlled by adjusting the amount of power that simultaneously propagates via the same clusters in the different links. A multi-link GSCM was implemented, and the effects that the CCs have on inter-link correlation and on sum rate capacity were investigated based on simulations. The existence of CCs in real-world channels was confirmed by dual-link channel measurements in an office corridor scenario. The measurement results revealed that the significance of CCs can be as high as 95%.

In both simulations and measurements, clear relations were found between the CC power, the inter-link correlation, and the sum rate dual-link capacity. Generally, as the amount of power carried by the CCs increases, the inter-link correlation increases and at the same time the sum rate capacity decreases. In addition, comparison between simulations and measurements in terms of the sum rate dual-link capacity revealed good agreement, indicating the validity of the proposed multi-link GSCM.

The results of the paper indicate that the developed CC-based multi-link GSCM provides a suitable means for controlling the correlation between different MIMO links in a realistic manner. Furthermore, it is evidently vital to include CCs in GSCMs since neglecting them would lead to too optimistic performance results in system simulations.

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